Number Cube Game

You and your partner will each roll a number cube 20 times. Before you begin, each of you will predict the sum of the 2 cubes that will come up most often. Who had the best prediction? Based on knowledge from the first game, make your predictions and play the game again. Grade Levels Pre-K-2

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Context

This task was presented to first grade students who had been studying sums to 12. These students had little experience with problem solving and the topic of probability.

What This Task Accomplishes

This task will assess student competence in addition facts to 12. The task will also act as a preassessment on student knowledge of probability concepts. The task will also introduce students to recording data on charts and graphs and using graphs to draw conclusions.

What the Student Will Do

Students will work in partners, first making a prediction of the sum that will come up most often on the number cubes. Students will then toss the number cubes 20 times and record their sums in a chart. The students will then translate their chart to a graph and determine who is the "winner" of game number one. Students will hopefully use the information gathered throughout this experimental probability experiment to make a more informed prediction for game number two. Students are encouraged to make mathematically relevant comments and observations about the solution and process.

Time Required for Task

45 minutes

Interdisciplinary Links

This task can be tied to a unit on games, or fairs and carnivals.

Teaching Tips

To help students understand the task, I modeled the game with a student volunteer in front of the class. The student and I each picked a sum we thought would be most probable. We rolled the number cubes 20 times and students in the class took turns figuring the sums. The sums were recorded on a piece of chart paper that took on the same format as the student

worksheet. Then the sums were translated onto a graph and students analyzed the graph to determine a winner, as well as practice making relevant mathematical observations about the data. Students then chose partners and went off on their own to complete the activity. To assist students in better seeing the experimental probability with a more accurate sample size, students could combine their sums on a class graph that should better reflect the theoretical probability. Teachers may also want to take the opportunity to discuss which number cube combinations result in which sums and which sums have the most combinations.

Suggested Materials

- Number cubes (two per student)
- Worksheets provided (see pages 5-8)

Note: Students will need copies of pages two and three for game number two as well.

Possible Solutions

The sum of seven theoretically has the most probable chance of occurring, although experimental probabilities will vary, especially due to sample size.

Benchmark Descriptors

Novice

The Novice may or may not have correctly found the sums of the number cubes and may incorrectly fill out the chart. The Novice will transfer the sums to the graph and determine who won. On game number two the Novice will not use information gained from game number one to make a prediction. The student's "I noticed..." statements are rudimentary. Little or no language of probability is used to communicate.

Apprentice

The Apprentice may make some flaws when determining the sums of the number cubes, but will correctly fill out the chart. The Apprentice will transfer the sums to the graph and determine who won. On game number two, the student begins to show signs of basing a prediction on the mathematical experiment in game number one. The student's "I noticed..." statements begin to become analytical in nature. A little probability terminology may be used by the Apprentice.

Practitioner

The Practitioner accurately determines the sums on the number cubes and correctly fills out the chart and graph. On game number two, the student bases a prediction on the mathematical experiment in game number one. The student's "I noticed..." statement shows evidence of understanding the underlying concepts of probability. Some probability terminology will be used by the Practitioner.

Expert

The Expert accurately determines the sums on the number cubes and correctly fills out the

chart and graph. On game number two, the student bases a prediction on the mathematical experiment in game number one. The student's "I noticed..." statement shows evidence of understanding the underlying concepts of probability and of statistics, as well as makes other mathematically relevant comments or observations. The Expert will use the language of probability and statistics to communicate ideas.

Exemplars -

Page 1

Number Cube Game #1 Worksheet

I think the sum of _____ will come up most often.

My partner thinks the sum of ___ will come up most often.

The winner of game #1 is _____

The winner's sum of _____ came up _____ out of 20 times.

I noticed...

Page 2

Number Cube Game Record

Roll # Number Cube 1	+	Number Cube 2	=	Sum
1		+		=
2		+		=
3		+		=
4		+		=
5		+		=
6		+		=
7		+		=
8		+		=
9		+		=
10		+		=
11		+		=
12		+		=
13		+		=
14		+		=
15		+		=
16		+		=
17		+		=
18		+		=
19		+		=
20		+		=

Page 3

Number Cube Game #1

Number of Times Sum Comes Up



Page 4

Number Cube Game #2

This time I think the sum of _____ will come up most often this time because...

My partner thinks the sum of ___ will come up most often this time.

The winner of game #2 is _____

The winner's sum of _____ came up _____ out of 20 times.

I noticed...

Novice

Number Cube Game #1

I think the sum of $\frac{12}{2}$ will come up most often. My partner thinks the sum of $\frac{12}{2}$ will come up most often. The winner of game #1 is \underline{KeShaE} . The winner's sum of $\underline{9}$ came up $\underline{4}$ out of 20 times. I noticed...

311 37 6810

Q

Student states results of the experiment.

Novice



Data is accurately recorded on chart and results of computation are correct.



Exemplars -

My partner thinks the sum of $\underline{-}$ will come up most often this time. The winner of game #2 is \underline{KCSM} The winner's sum of \underline{D} came up $\underline{-}$ out of 20 times. I noticed $\underline{-}$ $\underline{7MO+52MO}$ $\underline{7MO+52MO}$ Student is able to draw conclusions about the data.	This time I think the sum of 0 will come up most often this to cause if 15 my favorite number a	time be- <u>e</u> v
The winner of game #2 is Keshe The winner's sum of D came up d out of 20 times. I noticed The winner's sum of D came up d out of 20 times. I noticed The winner's sum of D came up d out of 20 times. Student does not use results from first experiment to base second prediction. Student is able to draw conclusions about the data.	My partner thinks the sum of $_$ will come up most often this ti	ime.
I noticed 7 MOt 5 2MOL 1411 1411 10 PIS	The winner of game #2 is \underline{Kespe} The winner's sum of \underline{D} came up $\underline{/}$ out of 20 times.	Student does not use results from first experiment to base second prediction.
7 MOt 5 2 MOL 1411 1411 10 PIS	I noticed	
	7 MOt 5 2 MOL 1411	Student is able to draw conclusions about the data.





Apprentice

Number Cube Game #1

I think the sum of $\frac{12}{12}$ will come up most often. My partner thinks the sum of $\frac{4}{4}$ will come up most often. The winner of game #1 is $\underline{B0}$. The winner's sum of $\underline{4}$ came up $\underline{2}$ out of 20 times. I noticed...

It is unclear what the student notices about "8".





Number Cube Game #2
This time I think the sum of \square will come up most often this time because
My portner thinks the sum of 4 will some up most often this time
My partner thinks the sum of $\underline{-1}$ will come up most often this time.
The winner of game #2 is \underline{BUTN}
The winner's sum of $\underline{-1}$ came up $\underline{-1}$ out of 20 times.
I noticed $8 \pi u \sigma l h \sigma \sigma u r P$
Here the student shows some evidence of basing prediction on results of game number where 11 came up three times.





Practitioner

 Student makes a relevant comment.

 Number Cube Game #1

 I think the sum of _____ will come up most often.

 My partner thinks the sum of _____ will come up most often.

 The winner of game #1 is ______

 The winner's sum of _____ came up _3___ out of 20 times.

 I noticed...

I didn't Like Math but this was fun. 10 came up alot.



Number Cube Game #2	
This time I think the sum of D will come up most often the cause	nis time be-
My partner thinks the sum of will come up most often th The winner of game #2 is	is time.
The winner's sum of <i>M</i> came up <i>A</i> out of 20 times.	Student bases prediction on results of last experiment.
I noticed	

Student makes a profound I could have been the statement about probability. winner if I picked 7again 4got more this time than last time. you never know if you're going to win.











Number Cube Game #2				
This time I think the sum of Z will come up most often the cause "If Came up most last time"	is time be-			
My partner thinks the sum of will come up most often thi	is time.			
The winner of game #2 is $\underline{50}$ The winner's sum of $\underline{3}$ came up $\underline{2}$ out of 20 times.	Student makes mathematically relevant comments.			
I noticed <u>3</u> <u>2</u>				
"You can never get 1" "This time 7 only came up once"	Student uses results of first experiment to make prediction.			



